On the imaging of rip currents at X-band

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1) Rip current observations via marine radar

- 2) Rip current model
- 3) Implications for X-band scattering
- 4) Summary

# Observations – Duck, NC



## Raw image sequence (0.75Hz)



## 60 sec mean image (0.75 Hz)





## South Jetty, Newport, Oregon



# **Observation Stations**



Data Assimilation and Remote-sensing for Littoral Applications (DARLA - MURI #N00014-10-1-0932)

# <u>Tidal flows – New River Inlet, NC</u>





## Ebb Jets

# <u>Tidal flows – New River Inlet, NC</u>





Ebb Jet-lets



























## <u>Rip currents – summary results</u>



- Rip currents were persistent during low tides and extended several surf zone widths offshore
- Rip current obliquity was primarily driven by alongshore wind stress
- Rip current imaging is dependent on cross-shore wind stress

Haller et al., "Rip current observations via marine radar", Invited Technical Paper: J. Waterway, Port, Coastal, and Ocean Engineering, 140(2), 115-124, 2014.





























Effect of cross-shore wind stress

![](_page_22_Figure_1.jpeg)

# How are rip currents imaged?

![](_page_23_Picture_1.jpeg)

# How are rip currents imaged?

![](_page_24_Picture_1.jpeg)

### Lagrangian Coherent Structures

![](_page_25_Figure_1.jpeg)

![](_page_25_Figure_2.jpeg)

Reniers et al., "Rip-current pulses tied to Lagrangian coherent structures", *GRL*, Vol. 37, 2010

## Effect of current divergence and strain on surface roughness

Conservation of wave action:

$$\frac{\partial N}{\partial t} = k_j \frac{\partial u_j}{\partial x_i} \frac{\partial N}{\partial k_i} + \frac{S}{\omega}$$

Relaxation approach:

 $N = N_0(k) + \widetilde{N}(x, k, t)$ 

Action anomaly due to currents:

$$\widetilde{N}(x,k) = \tau_c k_j \frac{\partial u_j}{\partial x_i} \frac{\partial N_0}{\partial k_i}$$

Rascle et al., "Surface roughness imaging of currents shows divergence and strain in the wind direction", *J. Phys. Oceanogr.*, August, 2014.

## Effect of current divergence and strain on surface roughness

$$D = \frac{\partial u}{\partial x} + \frac{\partial v}{\partial y}, \qquad S_t = \frac{\partial u}{\partial x} - \frac{\partial v}{\partial y}$$
$$V = \frac{\partial v}{\partial x} - \frac{\partial u}{\partial y}, \qquad S_h = \frac{\partial v}{\partial x} + \frac{\partial u}{\partial y}$$

 $\widetilde{N}(x,k,\varphi) = \frac{\tau_c N_0}{2} \left\{ Dm_k - Vm_\varphi + S_t \left[ \cos(2\varphi) m_k - \sin(2\varphi) m_\varphi \right] + S_h \left[ \sin(2\varphi) m_k + \cos(2\varphi) m_\varphi \right] \right\}$ 

Rascle et al., "Surface roughness imaging of currents shows divergence and strain in the wind direction", *J. Phys. Oceanogr.*, August, 2014.

# Effect of current divergence and strain on surface roughness

![](_page_28_Figure_1.jpeg)

- Mean squared slope response to vorticity is zero
- Mean squared slope response to shear is zero
- Mean squared slope response to divergence & strain is nonzero

# Rip current model

![](_page_29_Figure_1.jpeg)

**Cross-shore** 

 $\partial u/\partial x - \partial v/\partial y$ 

![](_page_29_Figure_3.jpeg)

Cross-shore Oregon State University

Alongshore

## **Rip current deformation tensors**

# $\frac{\overline{\text{Divergence}}}{\partial u/\partial x + \partial v/\partial y}$

# $\frac{\text{Vorticity}}{\partial v / \partial x - \partial u / \partial y}$

![](_page_30_Figure_3.jpeg)

## Hill's Vortex deformation tensors

![](_page_31_Figure_1.jpeg)

![](_page_31_Figure_2.jpeg)

## <u>Rip + Vortex pair deformation tensors</u>

![](_page_32_Figure_1.jpeg)

![](_page_32_Figure_2.jpeg)

![](_page_32_Figure_3.jpeg)

![](_page_32_Figure_4.jpeg)

![](_page_32_Figure_5.jpeg)

## Conservation of wave action (more complete):

$$\frac{\partial N}{\partial t} + (Cg_x + u)\frac{\partial N}{\partial x} + (Cg_y + v) \quad \frac{\partial N}{\partial y} - (k_x\frac{\partial u}{\partial x} + k_y\frac{\partial v}{\partial x})\frac{\partial N}{\partial kx}$$

![](_page_33_Figure_2.jpeg)

2

0

1 log<sub>10</sub>(k) (rad/m)

![](_page_33_Figure_3.jpeg)

 $-(k_x \frac{\partial x}{\partial y} + k_y \frac{\partial y}{\partial y}) \frac{\partial x}{\partial k_y} = F_s(N)$ 

## Curvature spectrum for Hill's vortex

![](_page_34_Figure_1.jpeg)

## Rip current remote sensing

![](_page_35_Figure_1.jpeg)

![](_page_35_Figure_2.jpeg)

![](_page_35_Figure_3.jpeg)